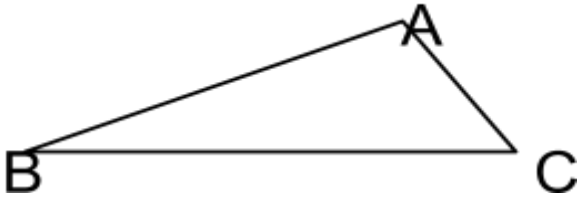


Midpoints and Medians in Triangles

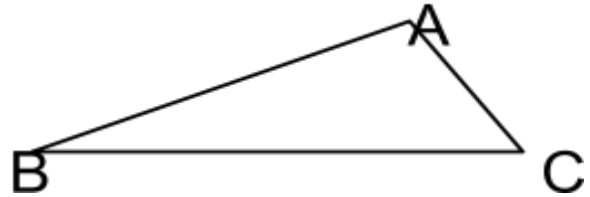
The **median** of a triangle connects one of its corners to the midpoint of the opposite side.

Each of the three medians divide the triangle's **area** in half.

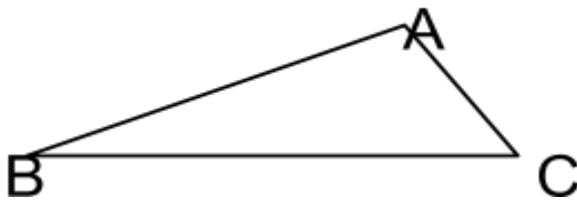
Draw the "median from A":



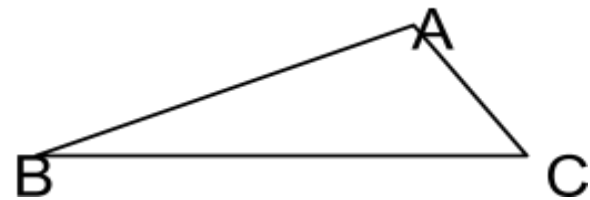
Draw the "median from B":



Draw the "median from C":



Draw all three medians. They meet at the **centroid**.

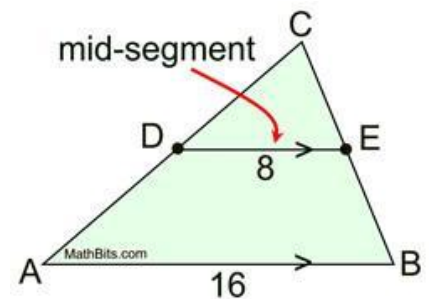


The **centroid** is the point where all three medians of a triangle meet. It is the 'balance point' of a triangle (aka the **centre of gravity**), where you would need to hold the triangle for it to balance perfectly.



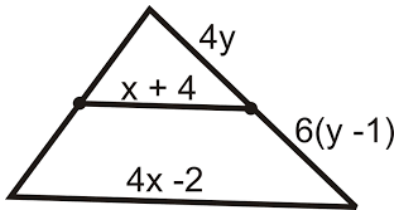
If you connect any two midpoints of two sides of a triangle, you'll get a **mid-segment**:

- The mid-segment will cut the height of the triangle in half
- The mid-segment will be half as long as the side it's parallel to.

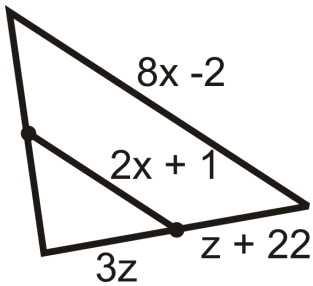


Practice and Homework

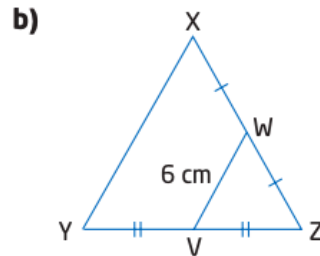
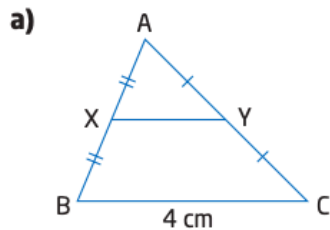
1. Solve for the values of x and y in the following triangle.



2. Solve for the values of x and z in this triangle.



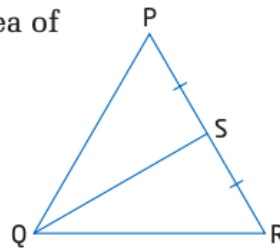
1. Calculate the length of line segment XY in each triangle.



For help with questions 2 and 3, see Example 2.

2. The area of $\triangle PQR$ is 16 cm^2 . Calculate the area of

- a) $\triangle PQS$
- b) $\triangle QSR$



3. The area of $\triangle XYZ$ is 19 cm^2 . Calculate the area of

- a) $\triangle WZY$
- b) $\triangle WXY$

